

Introduction to Deep Learning for Facial and Gesture Understanding

Part V: RNNs



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Tutorial-2
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FG2019

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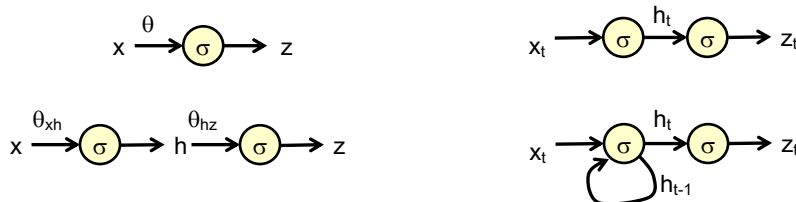
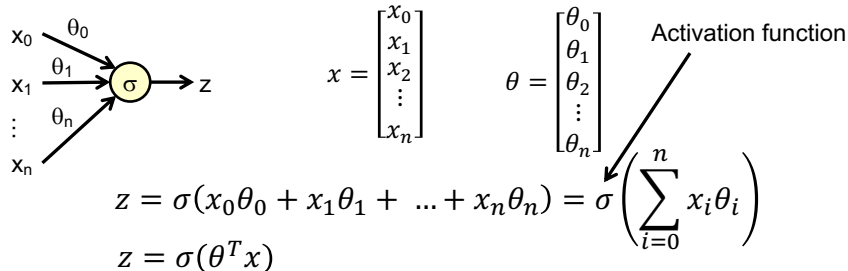
Agenda

- Part I: Introduction
- Part II: Convolutional Neural Nets
- Part III: Fully Convolutional Nets
- Break
- Part IV: Facial Understanding
- **Part V: Recurrent Neural Nets**
- Hands-on with NVIDIA DIGITS

Recurrent Neural Networks

- Feed forward Artificial Neural Networks (ANNs) are great at classification, but are limited at predicting future given the past.
- Need framework that determines output based upon current and previous inputs.
- Recurrent or Recursive Neural Networks (RNNs) capture sequential information and are used in speech recognition, activity recognition, NLP, weather prediction, etc.

Adding Recurrence



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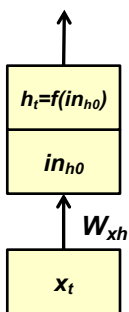
Neural Networks

$$in_{h0} = (W_{xh}x_t)$$

$$h_t = f(in_{h0})$$

Where:

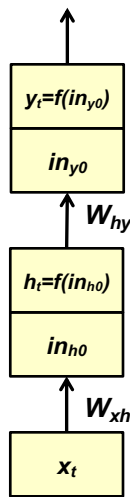
- x_t , is the input values
- W_{xh} , is the weight matrix for input
- in_{h0} is the inputs to activation function
- f is some activation function
- h_t is is the output values



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Neural Networks



$$\begin{aligned} in_{h0} &= (W_{xh}x_t) \\ h_t &= f(in_{h0}) \\ in_{y0} &= W_{hy}h_t \\ y_t &= f(in_{y0}) \end{aligned}$$

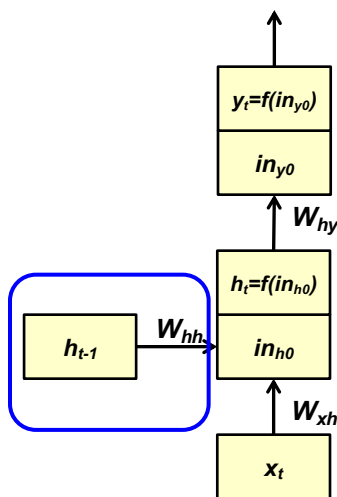
Where:

- x_t is the input values
- W_{xh} , is the weight matrix for input
- in_{h0} is the inputs to activation function
- f is some activation function
- h_t is is the intermediate output values
- W_{hy} is the weight matrix for intermediate value
- y_t is the output values

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Recurrent Networks



$$\begin{aligned} in_{h0} &= (W_{xh}x_t + W_{hh}h_{t-1}) \\ h_t &= f(in_{h0}) \\ in_{y0} &= W_{hy}h_t \\ y_t &= f(in_{y0}) \end{aligned}$$

Where:

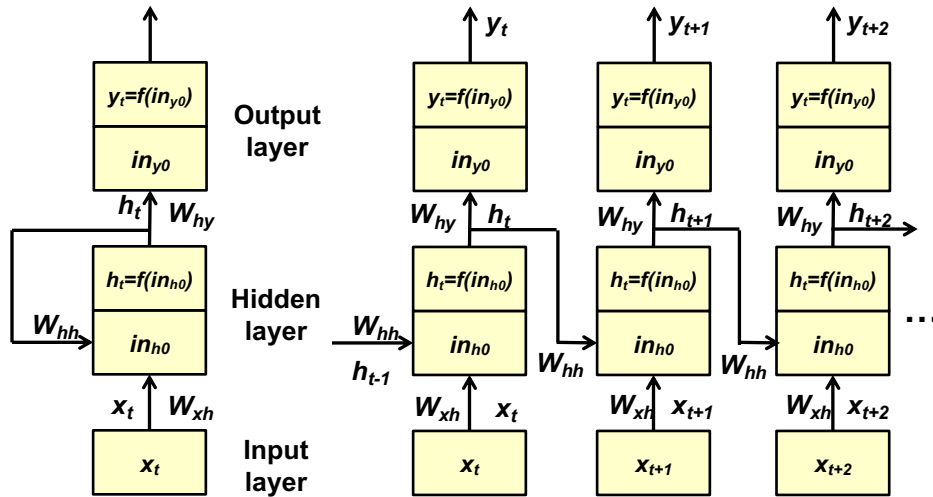
- x_t is the input values
- W_{xh} , is the weight matrix for input
- in_{h0} is the inputs to activation function
- f is some activation function
- h_t, h_{t-1} are current hidden and previous hidden values
- W_{xh}, W_{hh} and W_{hy} are the weight matrices for input, hidden and output stages respectively
- y_t is the output values

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Recurrent Networks

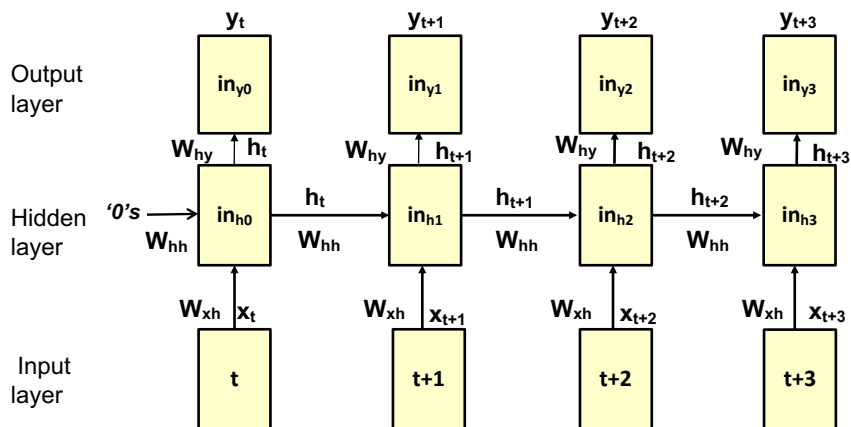
Both figures represent the same architecture



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Forward Propagation of Recurrent Networks



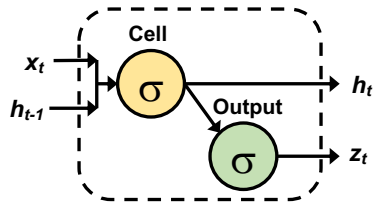
Note: regardless of how many time steps taken, only learning a single W_{xh} , W_{hh} , and W_{hy} . Each are learned via standard back propagation.

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Recurrent Networks

Recurrent Neural Network "neuron"

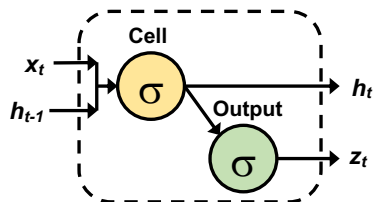


$P(\text{next event} \mid \text{previous events})$

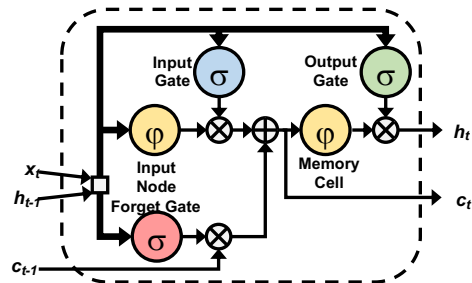
- Unfortunately, these vanilla RNNs don't always work.
- Can't store info over long periods of time.
- Suffer from vanishing and/or exploding gradients.

Recurrent Networks

Recurrent Neural Network "neuron"



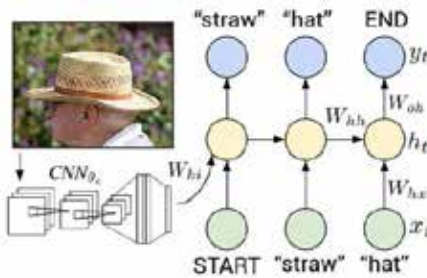
Long Short Term Memory "neuron"



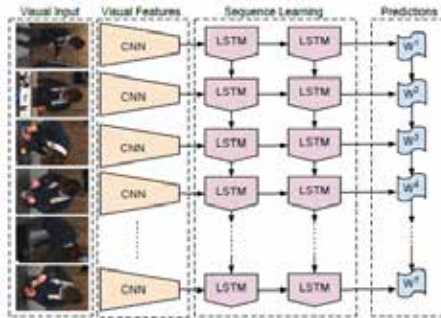
Donahue et al., 2015

- LSTM's allow read/write/reset functions to neurons.
- Remember past to predict the future- (over long time periods).
- Can have many hidden neurons per layer and many layers.

Recurrent Applications

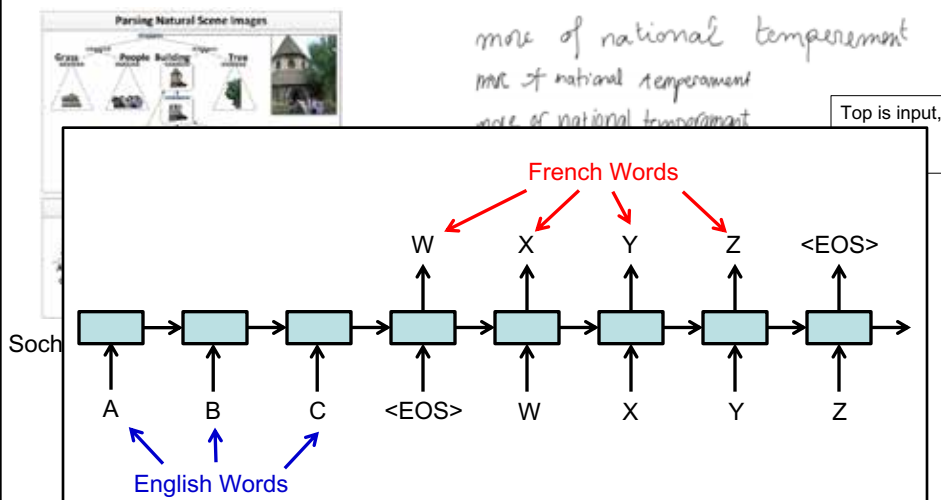


Karpathy, Fei-Fei, 2015



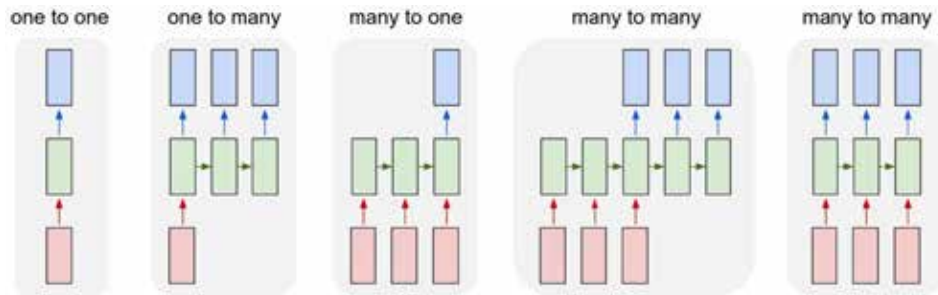
Donahue, et al., 2015

Recurrent Applications



Sutskever et al., 2014

Many Flavors

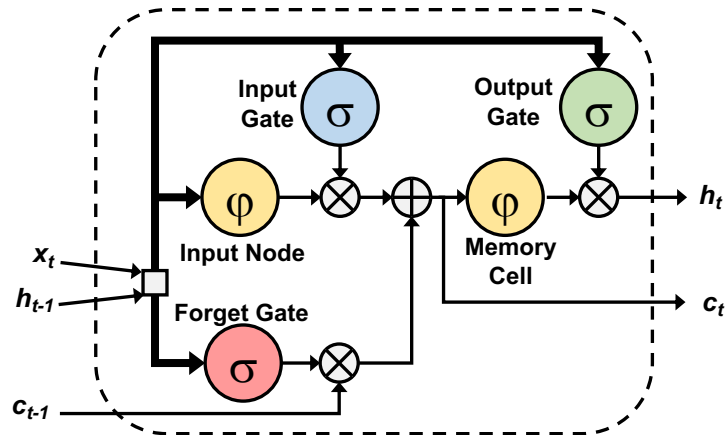


<http://karpathy.github.io/2015/05/21/rnn-effectiveness/>

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LSTMs

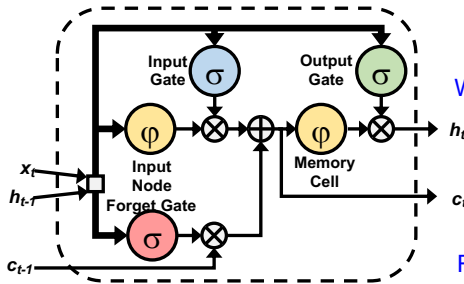


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LSTMs

Convert standard neuron into a complex memory cell



With $\sigma()$ =sigmoid activation function and $\phi()$ =tanh activation function, x_t and the previous cell output h_{t-1} calculate:

Write, read, reset governors:

$$\text{Input gate: } i_t = \sigma(W_{xi}x_t + W_{hi}h_{t-1})$$

$$\text{Output gate: } o_t = \sigma(W_{xo}x_t + W_{ho}h_{t-1})$$

$$\text{Forget gate: } f_t = \sigma(W_{xf}x_t + W_{hf}h_{t-1})$$

Real input to memory cell:

$$\text{Input node: } g_t = \phi(W_{xc}x_t + W_{hc}h_{t-1})$$

Looks just like our RNN cell!

Calculate a memory cell which is the summation of the previous memory cell, governed by the forget gate and the input and previous output governed by independent combinations of the same:

$$c_t = (f_t c_{t-1} + i_t g_t)$$

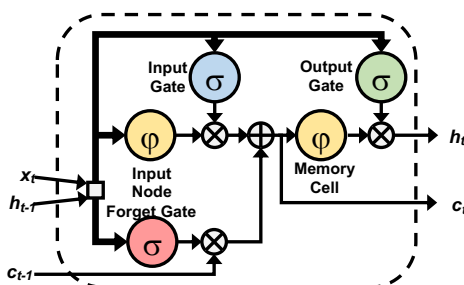
Calculate a new hidden state, governed by the output gate:

$$h_t = o_t \phi(c_t)$$

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The input node summarizes the input and past output, which will be governed by the input gate.



With $\sigma()$ =sigmoid activation function and $\phi()$ =tanh activation function, x_t and the previous cell output h_{t-1} calculate:

$$\text{Input gate: } i_t = \sigma(W_{xi}x_t + W_{hi}h_{t-1})$$

$$\text{Output gate: } o_t = \sigma(W_{xo}x_t + W_{ho}h_{t-1})$$

$$\text{Forget gate: } f_t = \sigma(W_{xf}x_t + W_{hf}h_{t-1})$$

$$\text{Input node: } g_t = \phi(W_{xc}x_t + W_{hc}h_{t-1})$$

Calculate a memory cell which is the summation of the previous memory cell, governed by the forget gate and the input and previous output governed by independent combinations of the same:

$$c_t = (f_t c_{t-1} + i_t g_t)$$

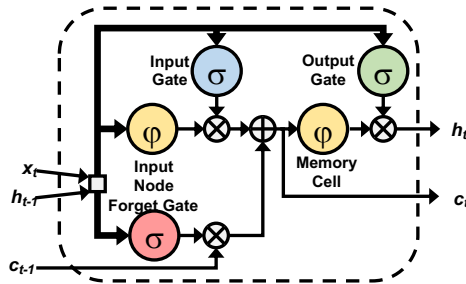
Calculate a new hidden state, governed by the output gate:

$$h_t = o_t \phi(c_t)$$

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Write: The input gate gives the provision to determine importance of current input and past hidden state.



With $\sigma()$ =sigmoid activation function and $\phi()$ =tanh activation function, x_t and the previous cell output h_{t-1} calculate:

Input gate: $i_t = \sigma(W_{xi}x_t + W_{hi}h_{t-1})$

Output gate: $o_t = \sigma(W_{xo}x_t + W_{ho}h_{t-1})$

Forget gate: $f_t = \sigma(W_{xf}x_t + W_{hf}h_{t-1})$

Modulation gate: $g_t = \phi(W_{xc}x_t + W_{hc}h_{t-1})$

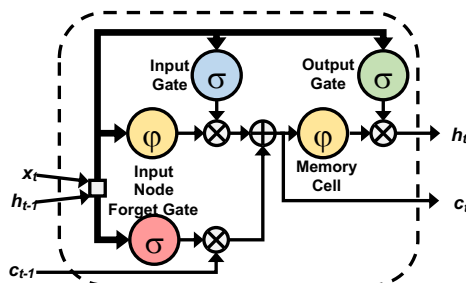
Calculate a memory cell which is the summation of the previous memory cell, governed by the forget gate and the input and previous output governed by independent combinations of the same:

$$c_t = (f_t c_{t-1} + i_t g_t)$$

Calculate a new hidden state, governed by the output gate:

$$h_t = o_t \phi(c_t)$$

Read: The output gate determines what parts of the cell output are necessary for the next time step.



With $\sigma()$ =sigmoid activation function and $\phi()$ =tanh activation function, x_t and the previous cell output h_{t-1} calculate:

Input gate: $i_t = \sigma(W_{xi}x_t + W_{hi}h_{t-1})$

Output gate: $o_t = \sigma(W_{xo}x_t + W_{ho}h_{t-1})$

Forget gate: $f_t = \sigma(W_{xf}x_t + W_{hf}h_{t-1})$

Modulation gate: $g_t = \phi(W_{xc}x_t + W_{hc}h_{t-1})$

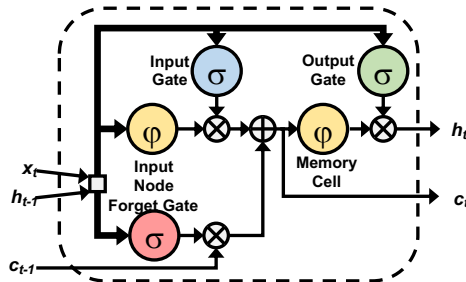
Calculate a memory cell which is the summation of the previous memory cell, governed by the forget gate and the input and previous output governed by independent combinations of the same:

$$c_t = (f_t c_{t-1} + i_t g_t)$$

Calculate a new hidden state, governed by the output gate:

$$h_t = o_t \phi(c_t)$$

Reset: The forget gate gives the provision for the hidden layer to discard or forget the historical data



With $\sigma()$ =sigmoid activation function and $\phi()$ =tanh activation function, x_t and the previous cell output h_{t-1} calculate:

$$\text{Input gate: } i_t = \sigma(W_{xi}x_t + W_{hi}h_{t-1})$$

$$\text{Output gate: } o_t = \sigma(W_{xo}x_t + W_{ho}h_{t-1})$$

$$\text{Forget gate: } f_t = \sigma(W_{xf}x_t + W_{hf}h_{t-1})$$

$$\text{Modulation gate: } g_t = \phi(W_{xc}x_t + W_{hc}h_{t-1})$$

Calculate a memory cell which is the summation of the previous memory cell, governed by the forget gate and the input and previous output governed by independent combinations of the same:

$$c_t = (f_t c_{t-1} + i_t g_t)$$

Calculate a new hidden state, governed by the output gate:

$$h_t = o_t \phi(c_t)$$

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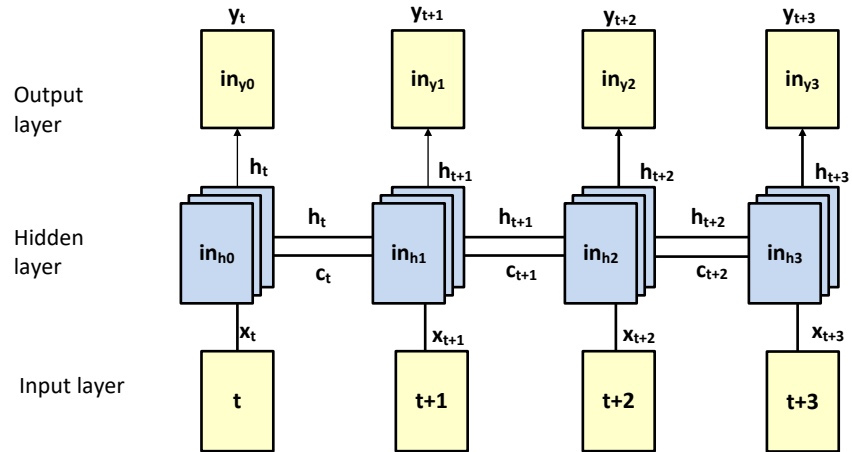
Using LSTMs

- The LSTM memory cells are analogous to a single neuron.
- As such many hundreds of these memory cells are used in a layer, each of which passes its output h_t to the next time step, h_{t+1} .

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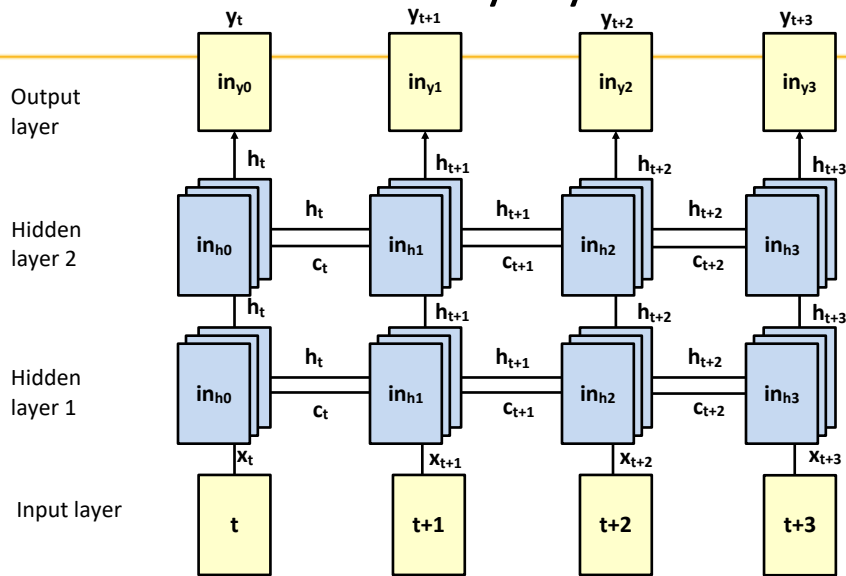
Same architecture as RNNs, but middle neurons are now LSTM memory cells



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Can do many layers...



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Learning Shakespeare

- LSTMs can learn structure and style in the data.
- Karpathy downloaded all the works of Shakespeare and concatenated them into a single (4.4MB) file.
- Train a 3-layer LSTM with 512 hidden nodes on each layer.
- After we train the network for a few hours Karpathy obtained samples such as:

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```
PANDARUS:  
Alas, I think he shall be come approached and the day  
When little strain would be attain'd into being never fed,  
And who is but a chain and subjects of his death,  
I should not sleep.  
  
Second Senator:  
They are away this miseries, produced upon my soul,  
Breaking and strongly should be buried, when I perish  
The earth and thoughts of many states.  
  
DUKE VINCENTIO:  
Well, your wit is in the care of side and that.  
  
Second Lord:  
They would be ruled after this chamber, and  
my fair nues begun out of the fact, to be conveyed,  
Whose noble souls I'll have the heart of the wars.  
  
Clown:  
Come, sir, I will make did behold your worship.
```

<http://karpathy.github.io/2015/05/21/rmn-effectiveness/>

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Learning LaTeX

- The results above suggest that the model is actually quite good at learning complex syntactic structures.
- Karpathy and Johnston downloaded the raw Latex source file (a 16MB file) of a book on algebraic stacks/geometry and trained a multilayer LSTM.
- Amazingly, the resulting sampled LaTeX *almost* compiled.
- They had to step in and fix a few issues manually but then they get plausible looking math:

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For $\mathbb{A}^1_{\mathbb{C}} \rightarrow \mathbb{C}$, where $\mathcal{L}_{\mathbb{C}} = 0$, hence we can find a closed subset H in $\mathbb{A}^1_{\mathbb{C}}$ and any sets \mathcal{F} on X , U is a closed immersion of S , then $U \rightarrow T$ is a separated algebraic space.

Proof. Proof of (1). It also starts we get

$$S = \text{Spec}(R) = U \times_X U \times_X U$$

and the comparably in the fibre product covering we have to prove the lemma generated by $\coprod U \times_U U \rightarrow U$. Consider the maps M along the set of points Sch_{aff} and $U \rightarrow U$ in the fibre category of S in U in Section 77 and the fact that any U affine, see Morphisms, Lemma 77. Hence we obtain a scheme S and any open subset $W \subset U$ in $\text{Sch}(G)$ such that $\text{Spec}(R) \rightarrow S$ is smooth or an

$$U = \bigcup U_i \times_X U_i$$

which has a non-zero morphism we may assume that f_i is of finite presentation over S . We claim that $\mathcal{O}_{X,x}$ is a scheme where $x, x', x'' \in S$ such that $\mathcal{O}_{X,x'} \rightarrow \mathcal{O}_{X,x''}$ is separated. By Algebra, Lemma 77 we can define a map of complexes $\text{GL}_P(x'/S^{\bullet})$ and we win. \square

To prove study we see that \mathcal{F}_i is a covering of X^* , and T_i is an object of $\mathcal{F}_{X/S}$ for $i > 0$ and \mathcal{F}_p exists and let \mathcal{F}_i be a presheaf of \mathcal{O}_X -modules on \mathcal{C} as a \mathcal{F} -module. In particular $\mathcal{F} = U/\mathcal{F}$ we have to show that

$$\tilde{M}^* = \mathcal{I}^* \otimes_{\text{Spec}(U)} \mathcal{O}_{X,x} = \mathcal{I}_X^* \mathcal{F}$$

is a unique morphism of algebraic stacks. Note that

$$\text{Arrows} = (\text{Sch}/S)_{\text{pre}}^{\text{pre}}, (\text{Sch}/S)_{\text{pre}}$$

and

$$V = \Gamma(S, \mathcal{O}) \rightarrow \Gamma(U, \text{Spec}(A))$$

is an open subset of X . Thus U is affine. This is a continuous map of X is the inverse, the groupoid scheme S .

Proof. See discussion of sheaves of sets. \square

The result for prove any open covering follows from the loss of Example 77. It may replace S by $X_{\text{étale}}$ which gives an open subspace of X and T equal to $S_{\text{étale}}$, see Descent, Lemma 77. Namely, by Lemma 77 we see that R is geometrically regular over S .

This since $\mathcal{F} \in \mathcal{F}$ and $x \in G$ the diagram

The diagram consists of several nodes and arrows. At the top left is \mathcal{C} , with an arrow pointing to \mathcal{O}_X . Below \mathcal{C} is $\text{Spec}(K_x)$, with an arrow pointing to $\text{Spec}(K_x')$. Below $\text{Spec}(K_x')$ is $\text{Spec}(K_x'')$. To the right of $\text{Spec}(K_x)$ is $\text{Spec}(K_x, G)$. Arrows connect \mathcal{O}_X to $\text{Spec}(K_x)$, $\text{Spec}(K_x)$ to $\text{Spec}(K_x')$, $\text{Spec}(K_x')$ to $\text{Spec}(K_x'')$, and $\text{Spec}(K_x)$ to $\text{Spec}(K_x, G)$. There is also a diagonal arrow from \mathcal{O}_X to $\text{Spec}(K_x, G)$.

is a limit. Then G is a finite type and assume S is a flat and \mathcal{F} and G is a finite type f . This is of finite type diagrams, and

- the composition of G is a regular sequence.
- \mathcal{O}_X is a sheaf of rings.

\square

Proof. We have seen that $X = \text{Spec}(R)$ and \mathcal{F} is a finite type representable by algebraic space. The property \mathcal{F} is a finite morphism of algebraic stacks. Then the colimitology of X is an open neighbourhood of U . \square

Proof. This is clear that G is a finite presentation, see Lemma 77. A related above we conclude that U is an open covering of \mathcal{C} . The functor \mathcal{F} is a field

$$\mathcal{O}_{X,x} \rightarrow \mathcal{F}_p \rightarrow \mathcal{O}_{X,x} \rightarrow \mathcal{O}_{X,x}^{\text{étale}} \rightarrow \mathcal{O}_{X,x}^{\text{étale}}$$

is an isomorphism of covering of $\mathcal{O}_{X,x}$. If \mathcal{F} is the unique element of \mathcal{F} such that X is an isomorphism.

The property \mathcal{F} is a disjoint union of Proposition 77 and we can filtered set of presentations of a scheme \mathcal{O}_X -algebra with \mathcal{F} are opens of finite type over S . If \mathcal{F} is a scheme theoretic image points. \square

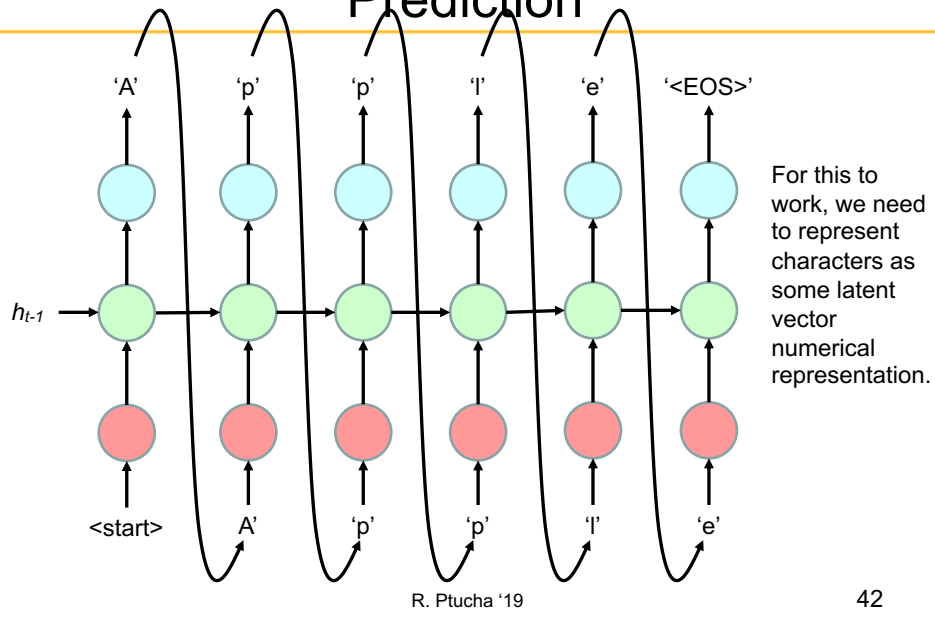
If \mathcal{F} is a finite direct sum \mathcal{O}_X is a closed immersion, see Lemma 77. This is a sequence of \mathcal{F} is a similar morphism.

<http://karpathy.github.io/2015/05/21/rnn-effectiveness/>

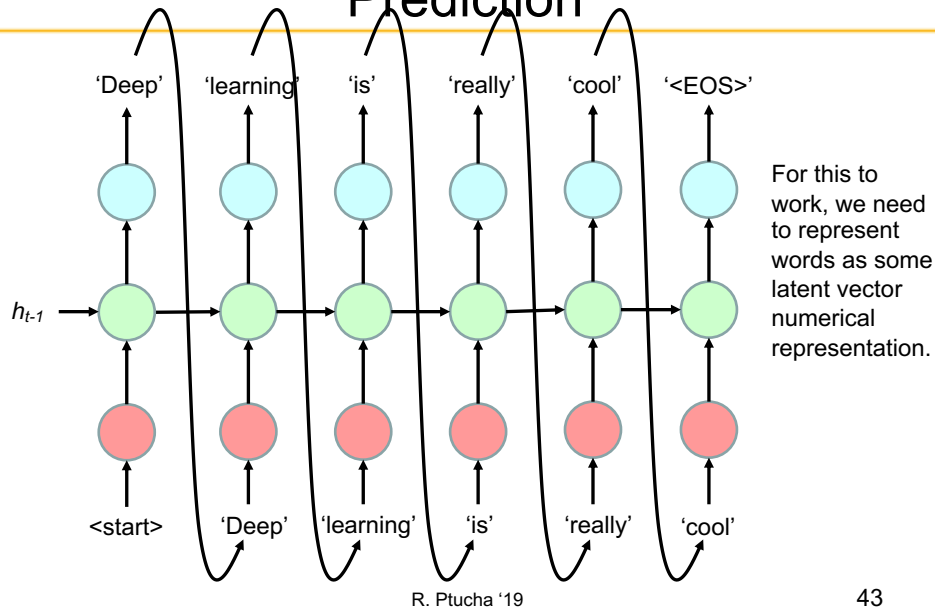
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Recurrent Networks for Character Prediction



Recurrent Networks for Word Prediction



Word2vec

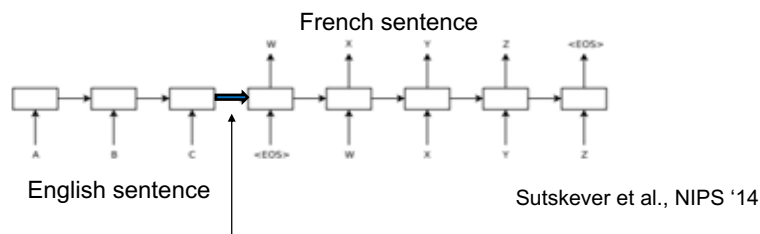
- In the simplest form, we can start with a one-hot encoded vector of all words, and then learn a model which converts to a lower dimensional representation.
- Word2vec, glove, and skip-gram are popular metrics which encode words to a latent vector representation (~300 dimensions).
- Now we have a way to represent images, characters, and words as vectors.

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Sent2vec

- In the English to French translation, we have:



...but wait, this point in the RNN is a representation (sent2vec) of all the words in the English sentence!

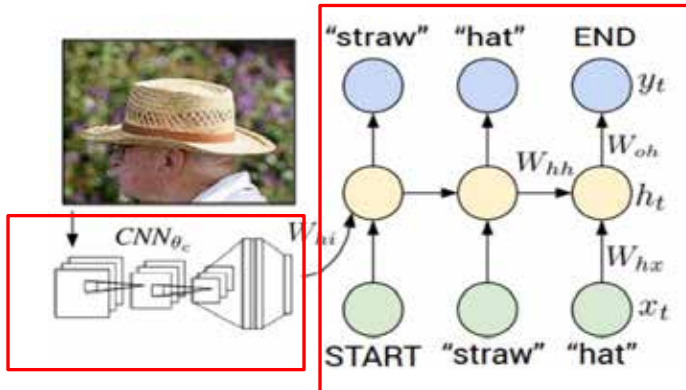
- Now we have a way to represent images, characters, words, and sentences...can extend to paragraphs and documents...

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Image Captioning

RNN takes in a latent representation of an image, and generates a sequence.



CNN helps represent an image as a numeric value. (image2vec)

Karpathy & Li, CVPR'15

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• We may have 50K words. Instead of one-hot encoding, we learn an embedding for each word.

$\langle \text{word1} \rangle$

$y_t = f(W_{hy}h_t)$

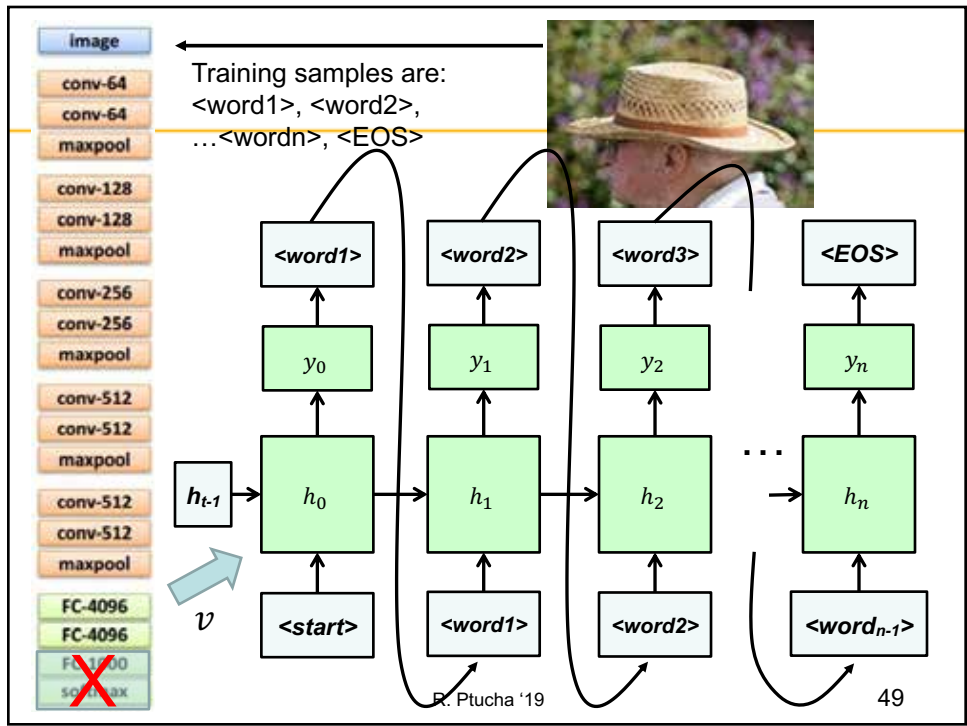
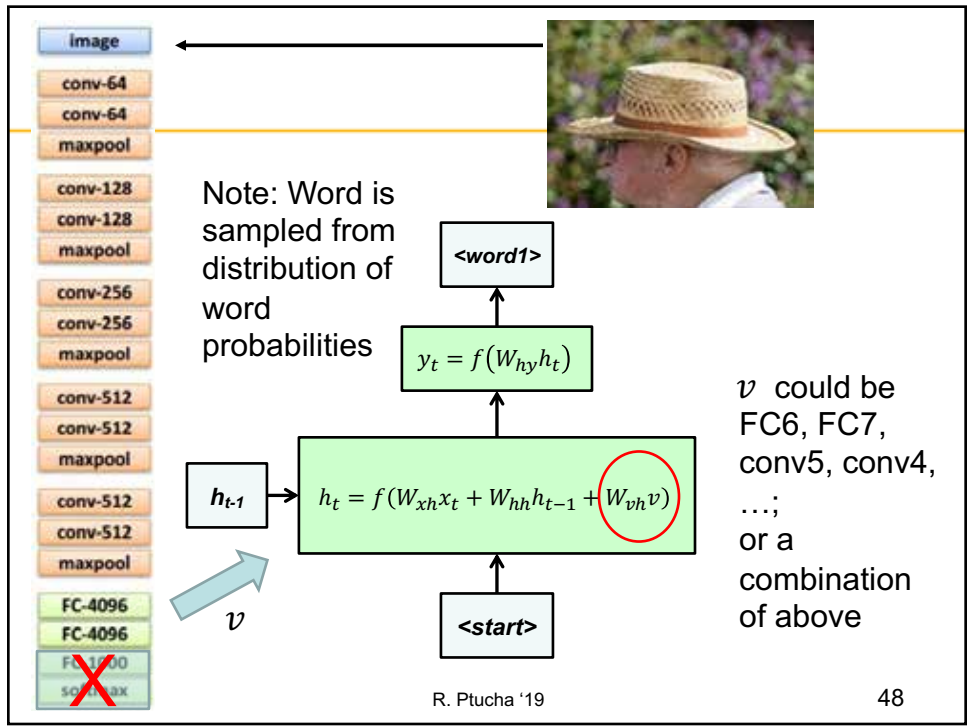
$h_t = f(W_{xh}x_t + W_{hh}h_{t-1})$

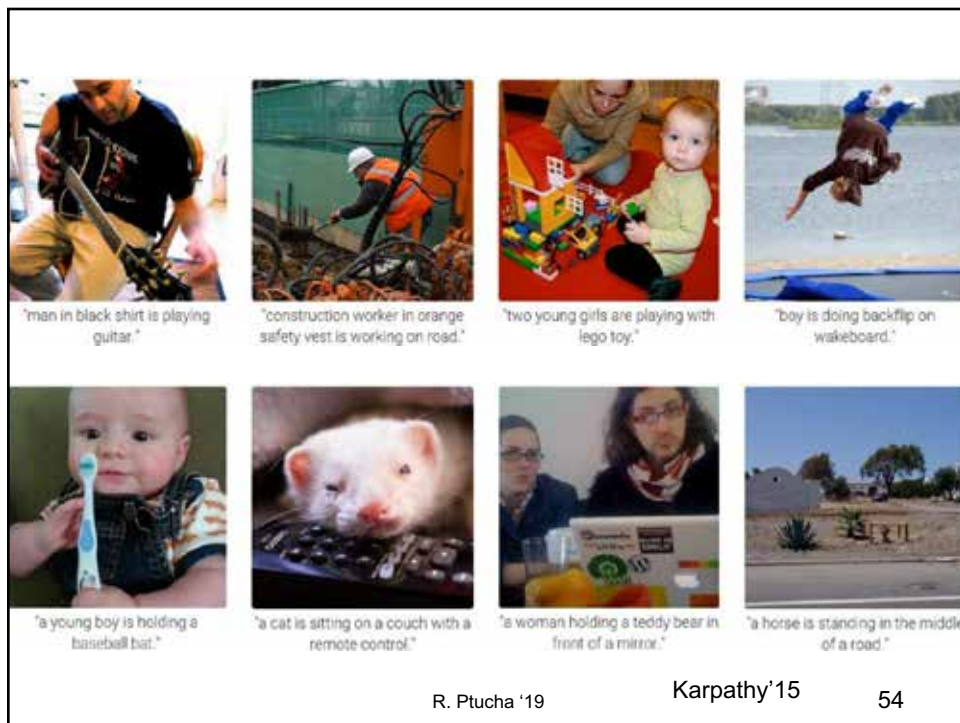
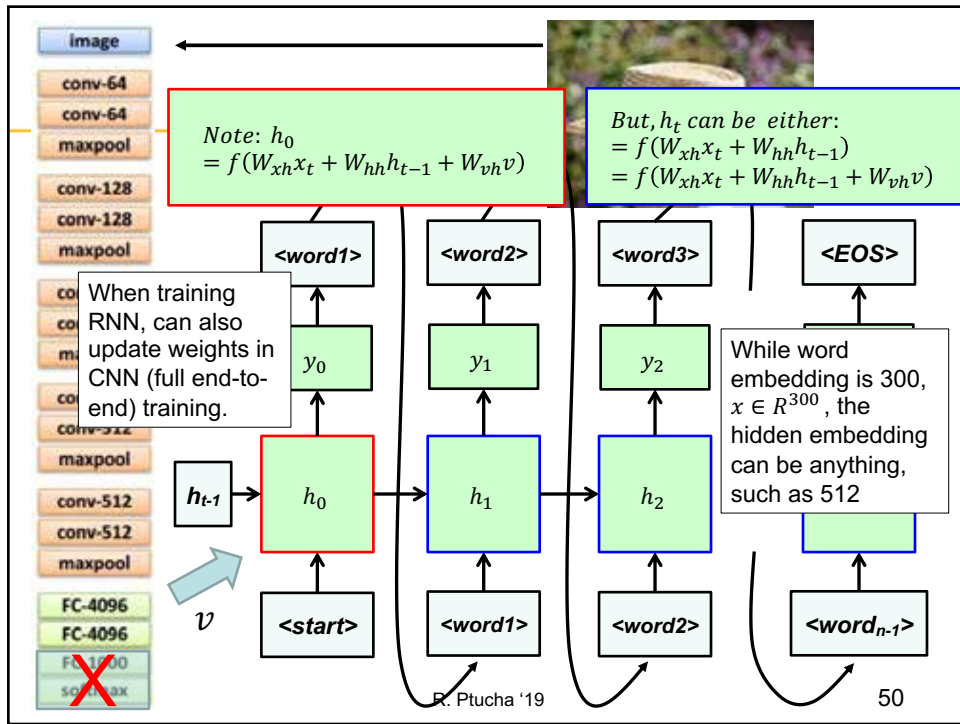
$\langle \text{start} \rangle$

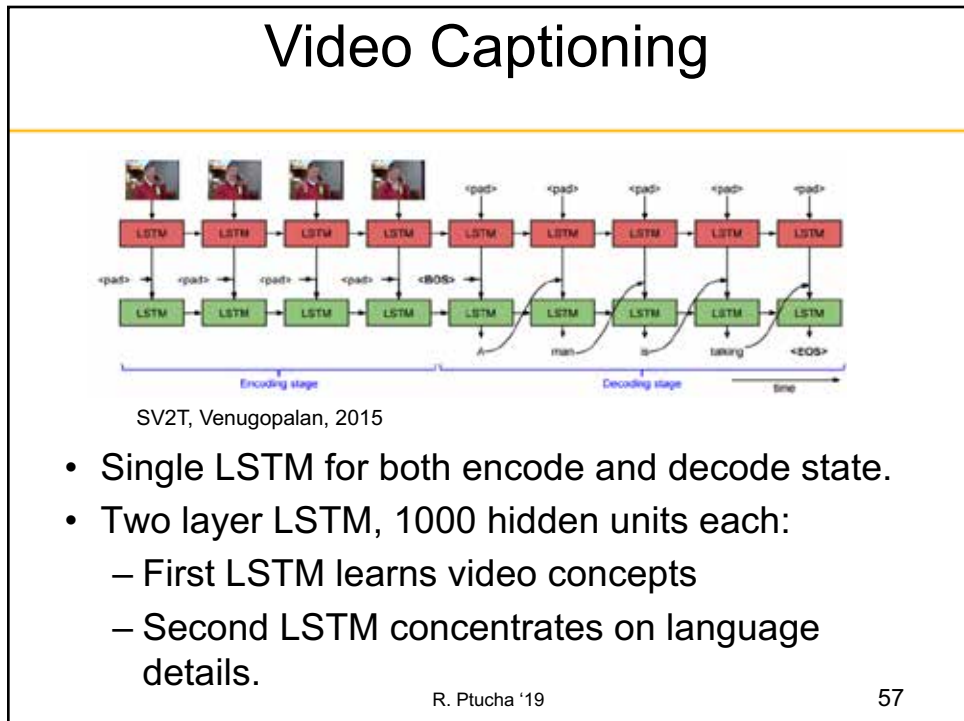
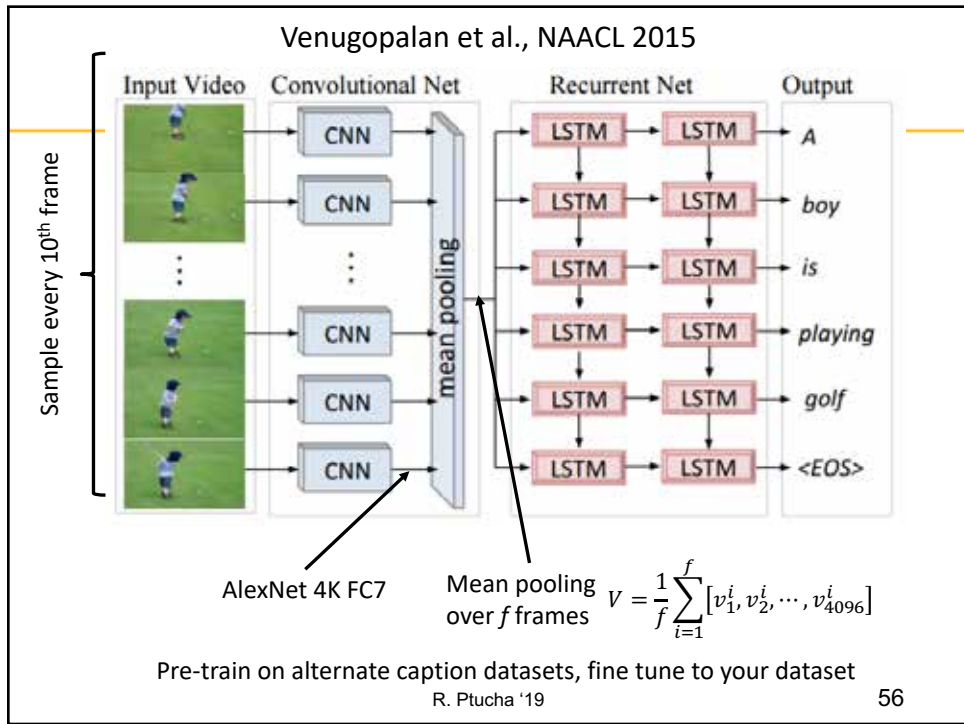
- Glove embedding (300 long vector/word) is very popular.
- Alternately, can learn embedding- learn a matrix which goes from (50K) one-hot to 300, ie: $W_{ix} \in R^{50K \times 300}$
- Embedding and unembedding can be learned or inverses of one another.

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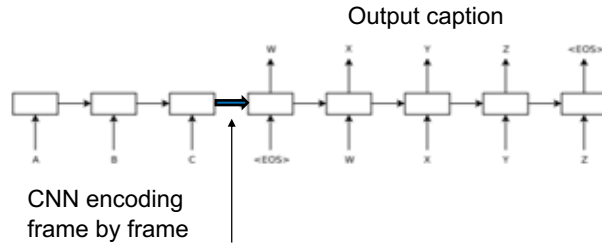






Video2vec

- We can generically use the same seq2seq operation for video:



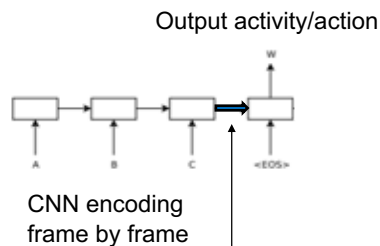
...this point in the RNN is a representation (video2vec) of all the frames in the video!

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Video2vec

- We can generically use the same seq2seq operation for video:



...this point in the RNN is a representation (video2vec) of all the frames in the video!

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C3D

Tran et al. "Learning Spatiotemporal Features with 3D Convolutional Networks", ICCV 2015.

- Rather than learn a single vector (e.g. FC7), introduced a spatio-temporal video feature representation using deep 3D ConvNets.
- Not the first to propose 3D ConvNets, but first to exploit deep nets with large supervised datasets.
- Models appearance and motion.
- Showed that:
 - 3D ConvNets are better than 2D ConvNets
 - Simple architecture with $3 \times 3 \times 3$ filters works very well
 - Learned features are then passed into simple linear classifier to give state-of-the-art results

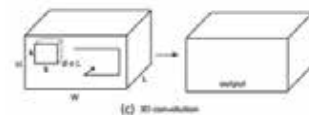
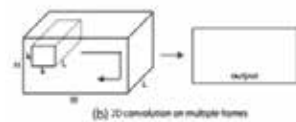
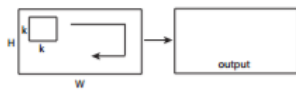
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2D and 3D Convolution

(will still work with c channels and f frames)

(Similar phenomenon for pooling)

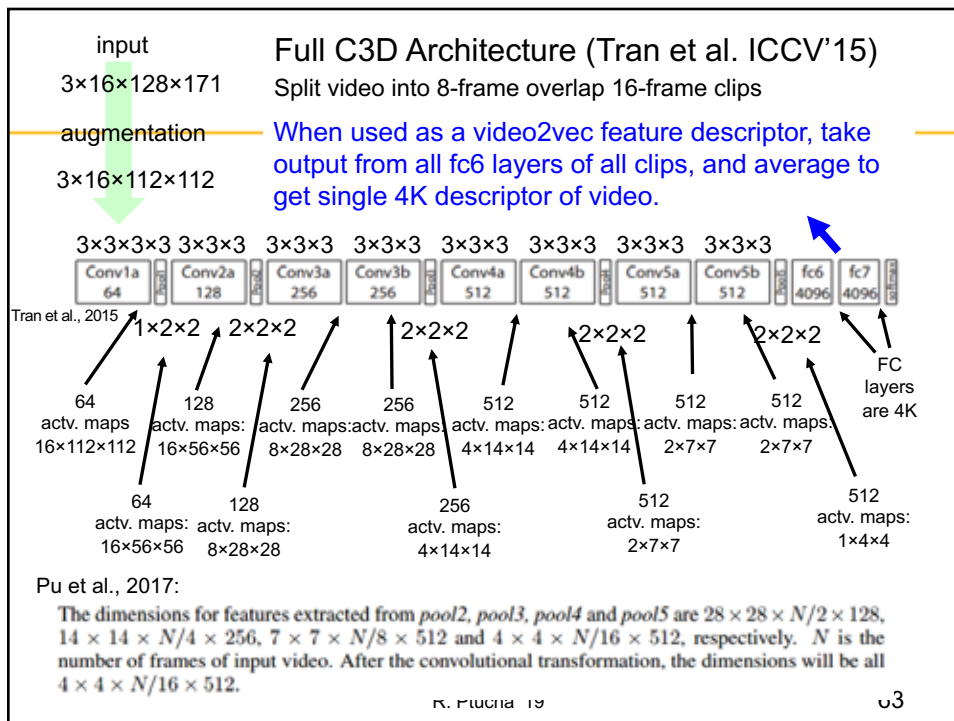
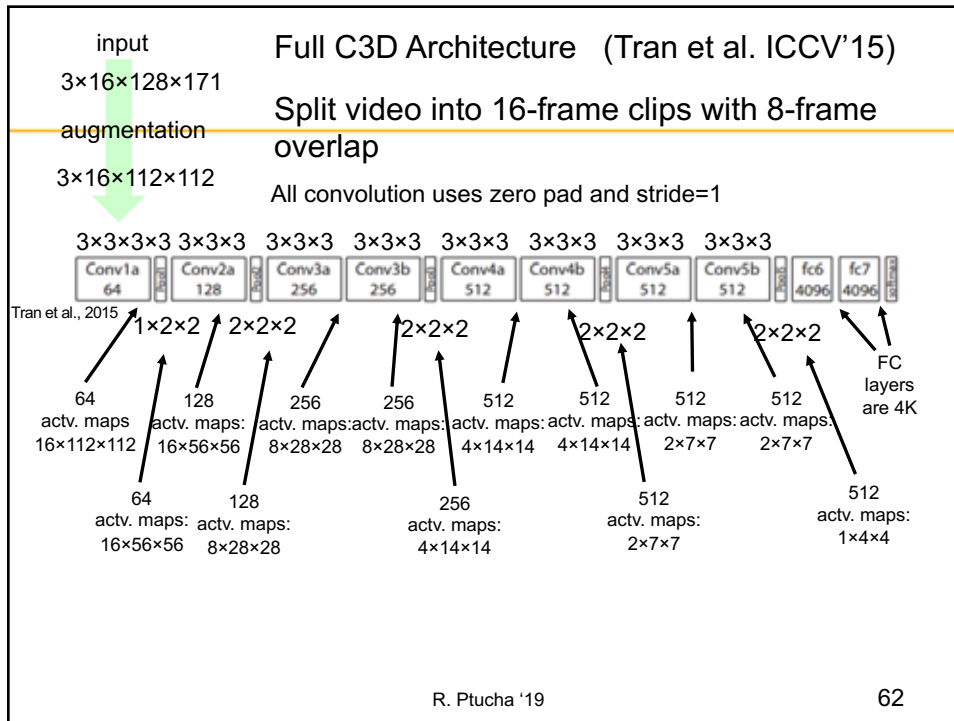


- 2D conv on a 2D image results in 2D image
- 2D conv on a 3D volume results in 2D image
 - Because filter depth matches volume depth.
- 3D conv on a 3D volume results in 3D volume
 - Preserves spatio-temporal information.

Tran et al., 2015

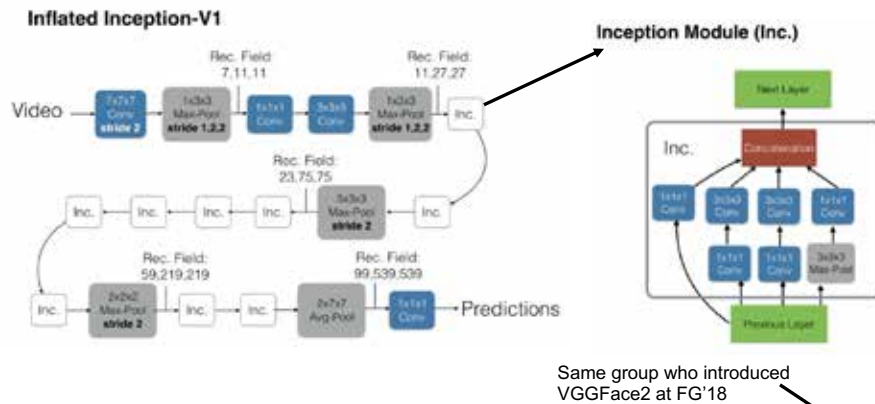
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Inflated Inception v1 for Video (I3D)

Filters and Pooling Increased from 2D to 3D



Quo Vadis Action Recognition: a New Model and the Kinetics Dataset. Carreira and Zisserman, CVPR 2017, http://openaccess.thecvf.com/content_cvpr_2017/papers/Carreira_Quo_Vadis_Action_CVPR_2017_paper.pdf

Thank you!!

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